











## **Emitter Gummel Number w/ Poly-Si Emitter**

 $iE$  *L*  $\mu$ <sub>*E*</sub>  $\mu$ <sup>*D*</sup><sub>*p*</sub>  $i^{I}$ <sup>E</sup>  $E$   $E$   $E$ *E*  $W'_E$   $n_i$ <sup>-</sup>  $N_E$ *iE*  $E_E = \int_0^{\pi_E} \frac{n_i}{n_{iE}^2} \frac{N_E}{D_E} dx + \frac{n_i N_E (N_E)}{n_{iE}^2 (-W_E') S}$  $dx + \frac{n_i^2 N_E(-W)}{2}$ *D N n*  $G_E \equiv \int_{0}^{-W'_E} \frac{n}{2}$  $(-W_{\scriptscriptstyle E}^\prime)$  $(-W_{\scriptscriptstyle E}^\prime)$ 2 2 0  $n^2$ 2 Emitter Gummel number  $G_E = \int_0^{-W'_E} \frac{n_i^2}{n_{iF}^2} \frac{N_E}{D_E} dx + \frac{n_i^2 N_E(-W'_E)}{n_{iF}^2(-W'_E)}$ 

For a uniformly doped emitter, where  $S_p = D_{Epoly}/W_{Epoly}$  is the *surface recombination velocity* 

$$
G_E = N_E \frac{n_i^2}{n_{iE}^2} \left( \frac{W_E'}{D_E} + \frac{1}{S_p} \right)
$$

$$
I_B \cong \frac{qn_i^2 A}{G_E}\Big(e^{qV_{EB}/kT}-1\Big)
$$

Spring 2003 EE130 Lecture 18, Slide 7

## Spring 2003 **EE130 Lecture 18, Slide 8 Charge Control Model** *B B*  $\frac{B}{B} = i_B - \frac{Q}{q}$ *dt dQ*  $=i_B - \frac{Q}{\tau}$  $\Delta p_B(x,t) = \Delta p_B(0,t) (1 - \frac{x}{W})$  $=qA\int_{a}^{W}\Delta p_{B}(x,t)dx=\frac{qAW\Delta}{\Delta}$ *B*  $Q_B = qA \int_A^W \Delta p_B(x,t) dx = \frac{qAW\Delta p_B(0,t)}{2}$  $0$  2  $(x, t) dx = \frac{qAW\Delta p_B(0, t)}{2}$ A PNP BJT biased in the forward-active mode will have excess **minority-carrier charge**  $Q_B$  stored in the quasi-neutral base:





